

# **A Novel Method of Thermal Detection Using a Torsional Pendulum**

Alex Kelsner

Liam Stewart

# Motivation

- Recent study demonstrated fabrication of thermally active “torsional muscle” from twisted nylon fiber\*
- To determine if a thermally active torsional pendulum can be created using a small mass attached to the bottom of a twisted nylon fiber.
- To demonstrate that such a pendulum can be driven by a pulsed IR source to stably oscillate at a constant frequency.
- To characterize the infrared transmittance of materials using this torsional pendulum as a thermal detector.

\*Carter Haines et al., Science 343 p868 2014

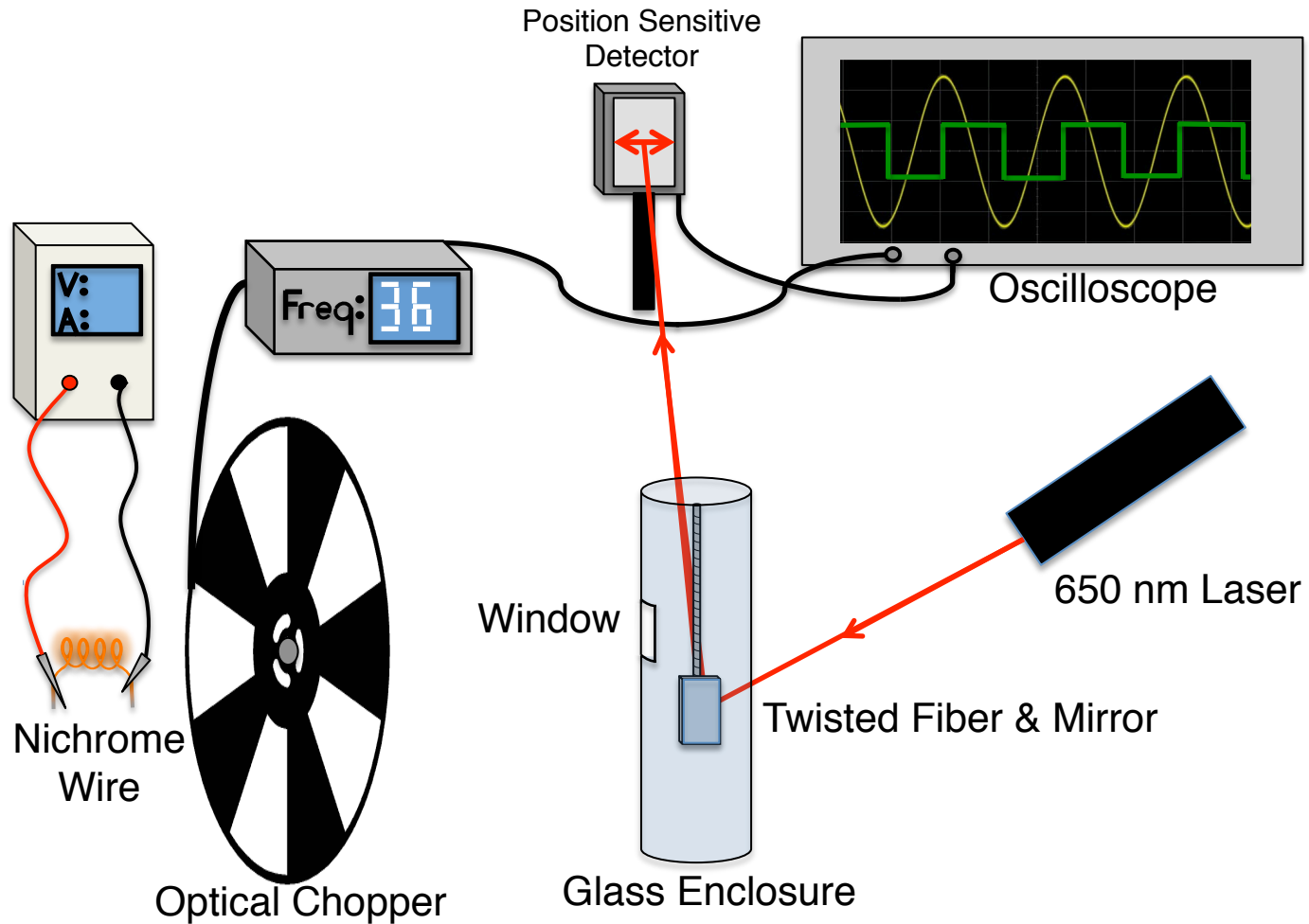
# Procedure

- A current was passed through a Nichrome wire, exciting blackbody radiation.
- The radiation was passed through an optical chopper rotating at the natural torsional frequency of a freely-suspended twisted nylon fiber.
- The chopped blackbody radiation incident upon the fiber then forced it into torsional resonance.

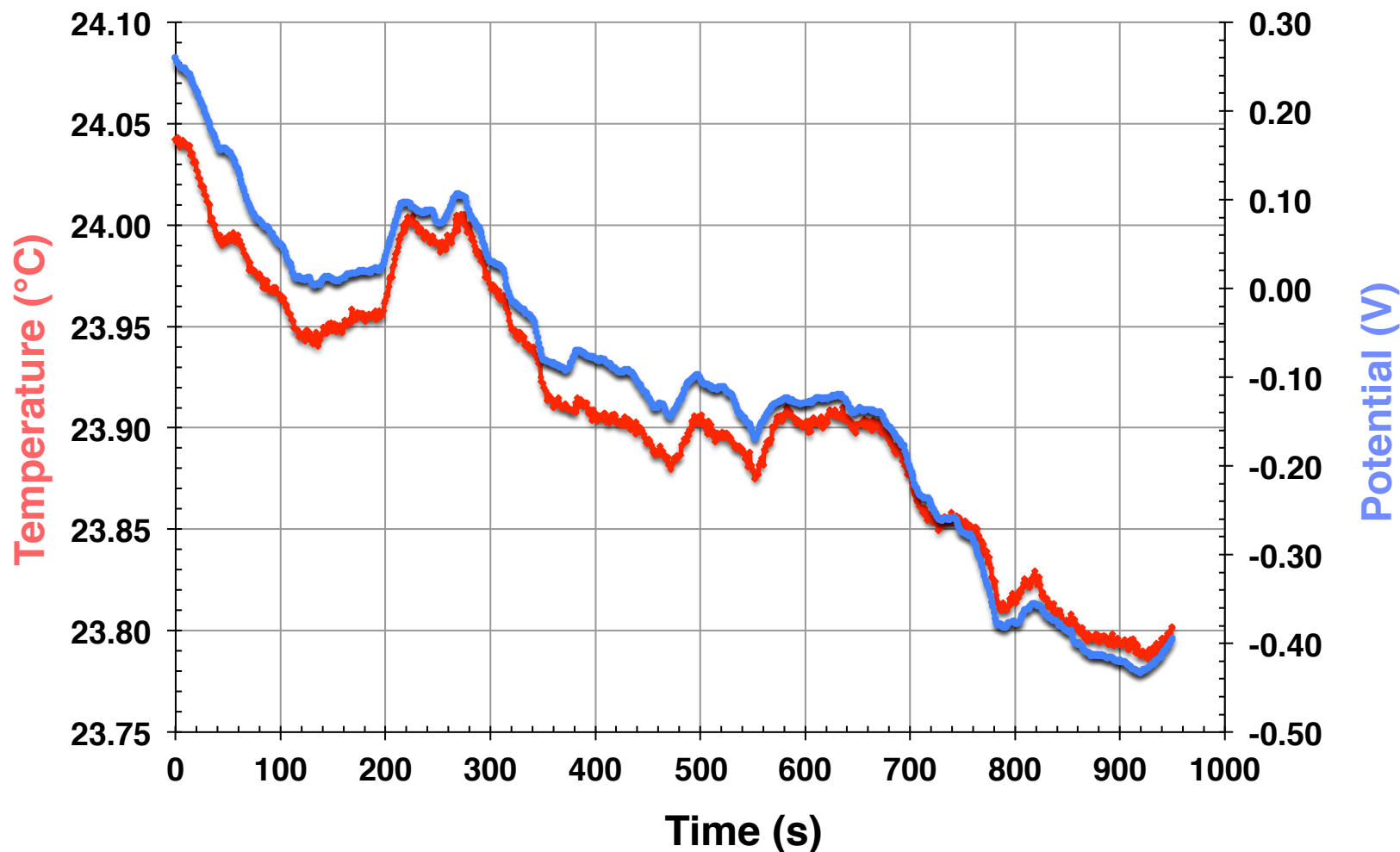
# Procedure Cont.

- A small mirror was glued onto the bottom of the hanging fiber, and a laser was directed off of the mirror into a Position Sensitive Detector (PSD).
- The signal from the PSD was AC-coupled into an oscilloscope which was externally triggered by the chopper which was adjusted to the resonant torsional frequency.

# Experimental Setup



# Preliminary Experiment Without Resonant Excitation: PSD Signal and Temperature Correlation Showing ca. 0.01 °C Sensitivity



# Analysis of Torsional Pendulum

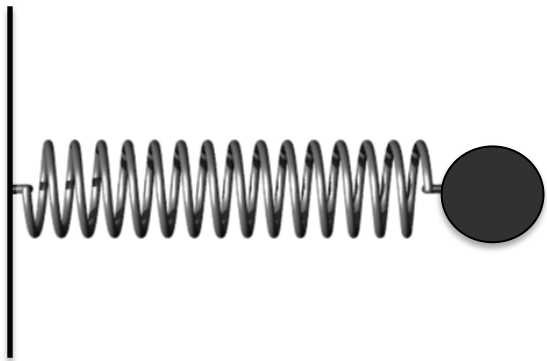
Simple Harmonic Oscillator Analogous to Mass on Spring System

## Mass on Spring System

$$T = 2\pi \sqrt{M/K}$$

$M$  = Mass (kg)

$K$  = Spring constant (N/m)

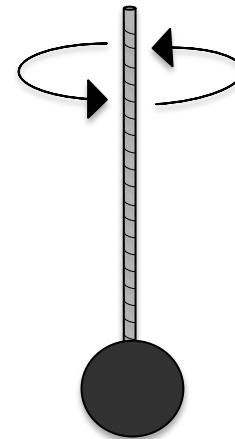


## Torsional Pendulum

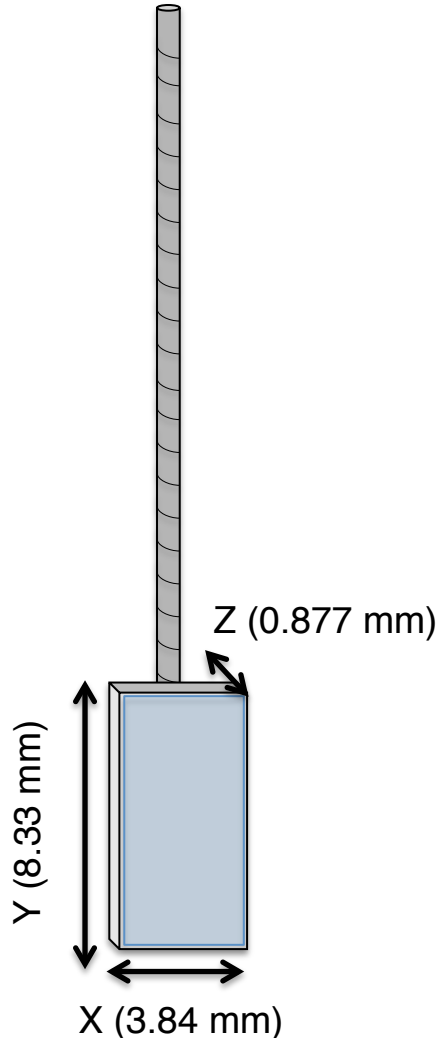
$$T = 2\pi \sqrt{I / \kappa}$$

$I$  = Moment of Inertia ( $\text{kg}\cdot\text{m}^2$ )

$\kappa$  = Torsion Constant ( $\text{N}\cdot\text{m} / \text{rad}$ )



# Calculating the Moment of Inertia and Torsion Constant



$$I_y = (1/12) M (x^2 + z^2)$$

$$I_y = (1/12) (5.5 \cdot 10^{-5} \text{ kg}) ((3.84 \cdot 10^{-3} \text{ m})^2 + (0.877 \cdot 10^{-3})^2)$$

$$I_y = 7.11 \cdot 10^{-11} \text{ kg} \cdot \text{m}^2$$

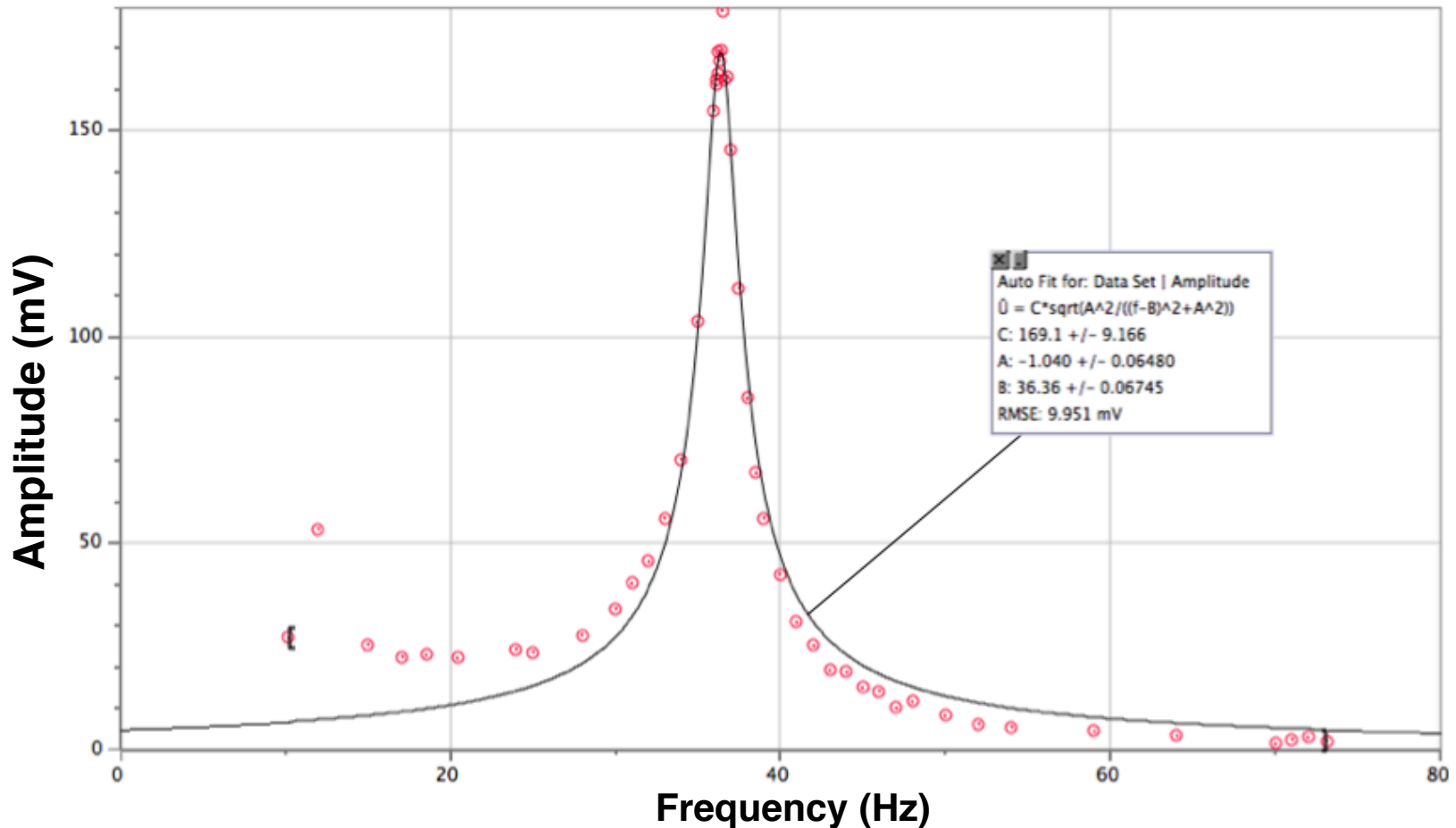
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$$T = 2\pi \text{ sqrt}(I / \kappa)$$

$$\kappa \text{ (Calculated)} = 3.71 \cdot 10^{-6} \text{ Nm/rad}$$



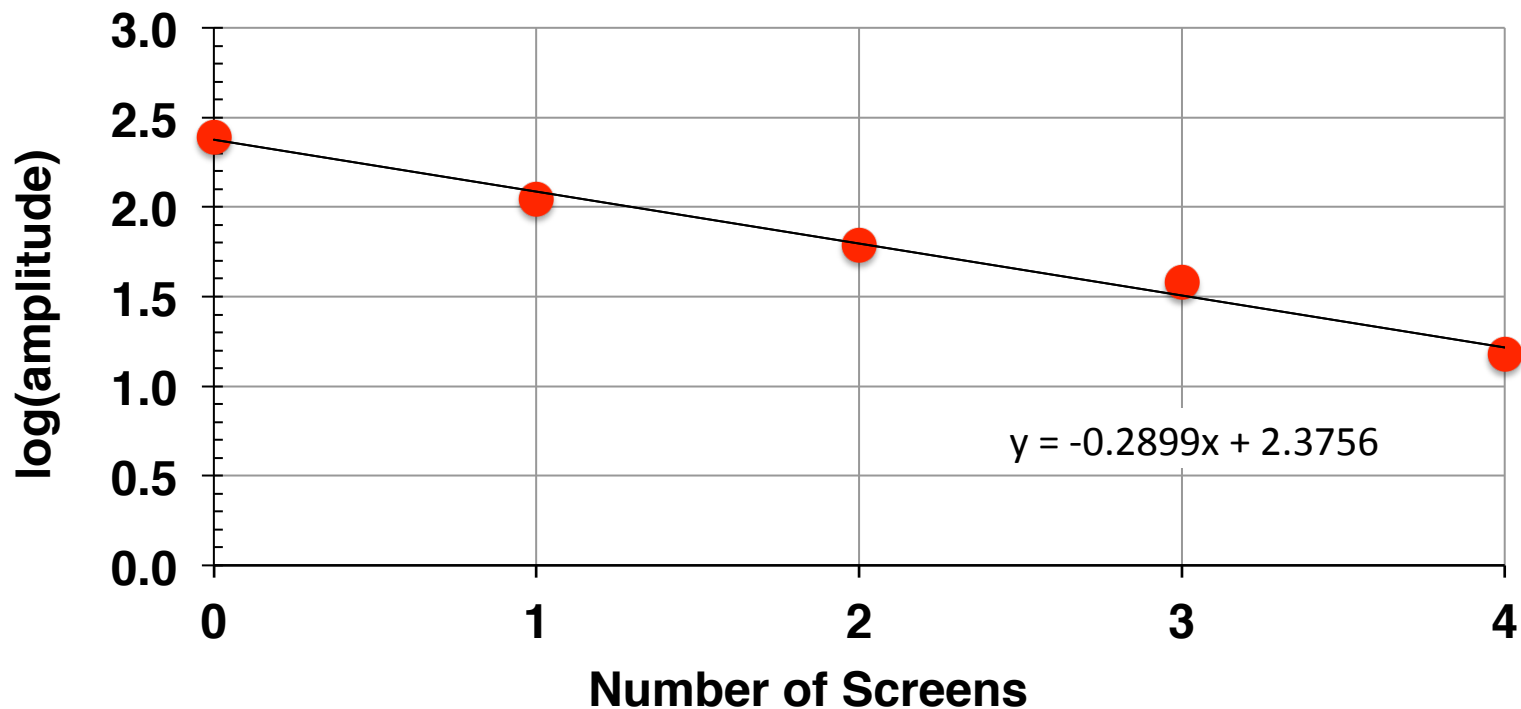
# Torsional Resonance (36.36 Hz)



**Q-Factor: Parameter describing damping of system.**

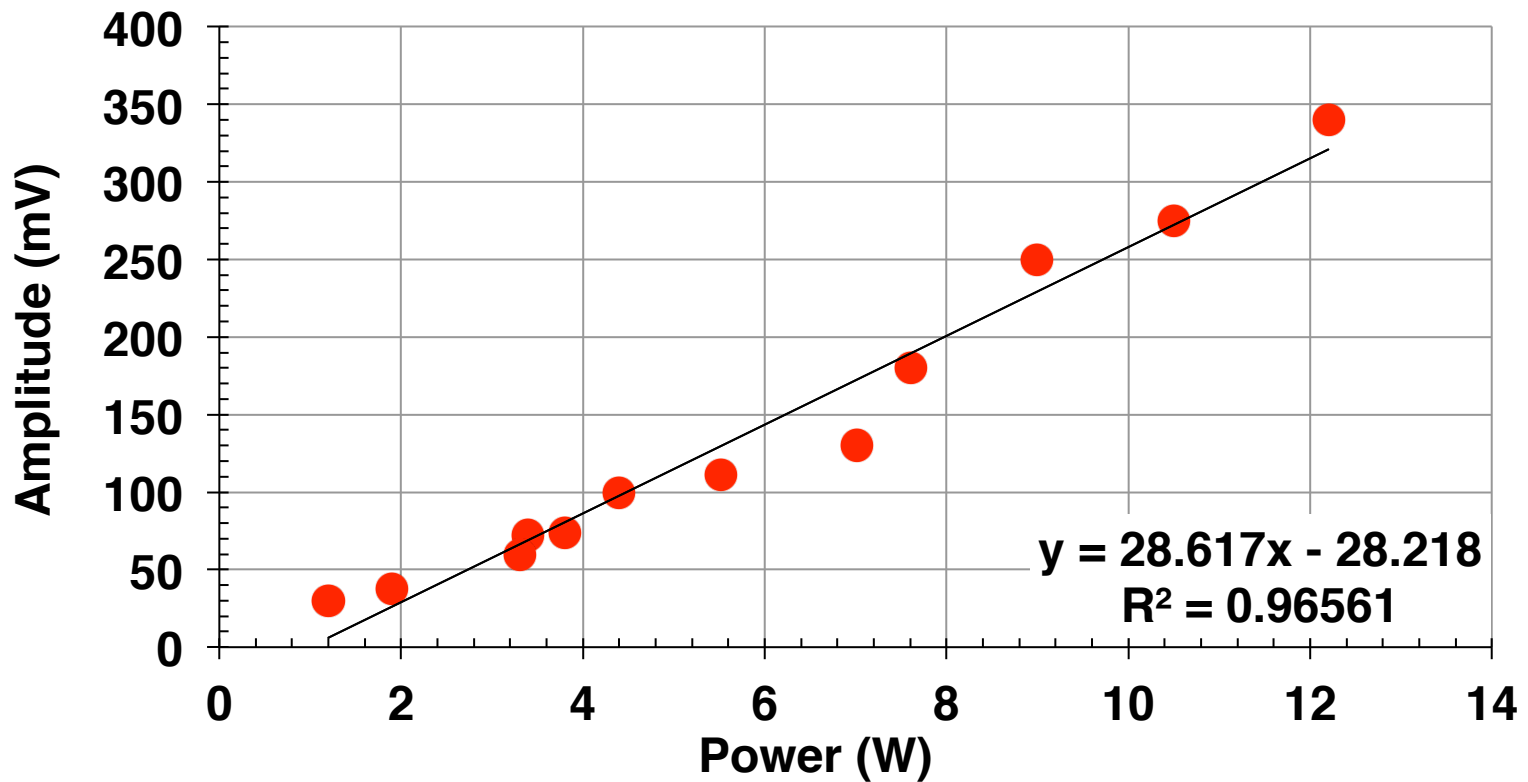
$$Q = (f_{peak}) / (\Delta f_{halfpower}) = (36.36 / 3.61) = 10.08$$

# Demonstration of Detector Linearity Using Wire Mesh Screens



**Percent decrease in transmission per screen =  $10^{-0.2899} \approx 51.3\%$**   
**(In separate measurements using visible light and a photodiode, change for each screen averaged 47.5%.)**

# Further Demonstration of Signal (mV) Linearity vs. Coil Power (W)



# Determining Detectability Limit

- Power radiated at the coil (Ohm's Law):

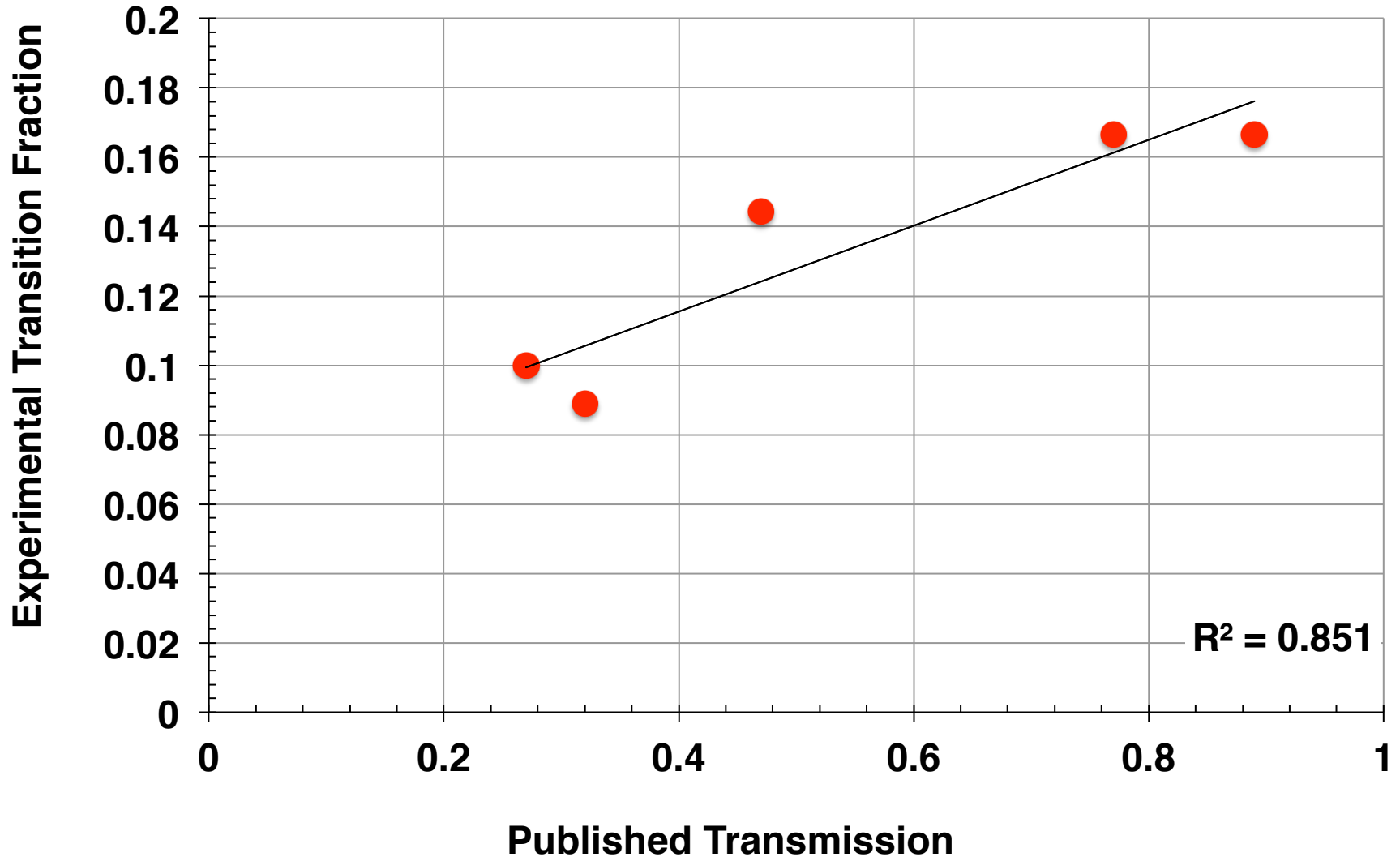
$$P = I \cdot V = 3.8 \text{ A} \cdot 3.9 \text{ V} = 15 \text{ W}$$

- Intensity at the fiber (located 6.5 cm from coil):

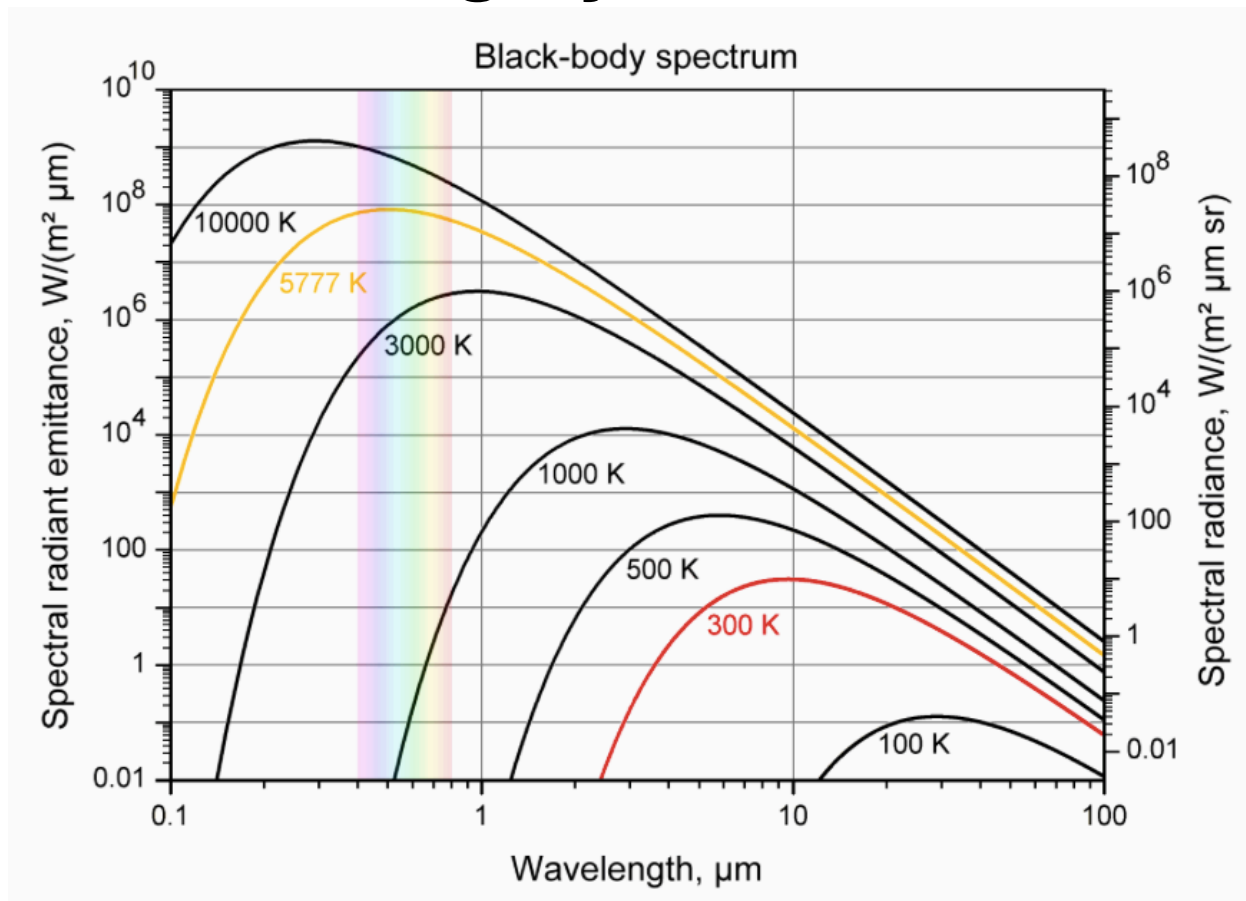
$$I = \text{Power} / \text{Area} = 15 \text{ W} / 4\pi r^2 = 28 \text{ mW} / \text{cm}^2$$

- This resulted in a 200 mV signal from the PSD, which was 100x the observed noise limit.
- This yields a detectability limit of  $0.28 \text{ mW} / \text{cm}^2$

# Glass Transmission: Published vs. Observed



# Overlap of Blackbody Emission Spectrum and Nylon Absorption Spectrum is Largely Unknown



# **Conclusions and Future Directions**

# Acknowledgements

- **Summit Educational Foundation**
  - **Professor Peter Kinget  
(Columbia University EE)**



# Experimental Transition vs. Published Total Energy Transmission

Experimental Transition vs Published Total Energy Transmission

